

## Triangulations and Edge Flips, Part 2

Math 282 Computational Geometry

4. In your algorithm for #3, what is the largest number of edge flips that might be required? (Your answer should depend on  $n$ ).

5. What is the largest number of edge flips that might be required to transform some triangulation of  $S$  into the triangulation produced by the incremental algorithm? What does this imply about the diameter of the flip graph of  $S$ ? (The *diameter* of the flip graph is the length of the longest path between any two nodes in the graph.)

6. Let  $S$  be the  $3 \times 3$  lattice, shown below. Find triangulations  $T_1$  and  $T_2$  of  $S$  such that the number of edge flips required to transform  $T_1$  into  $T_2$  is as large as possible. (This gives the diameter of the flip graph of  $S$ ).

